

#### Stock Price Dynamics in Artificial Multi-Agent Stock Markets

A.O.I. Hoffmann, S.A. Delre, J.H. Von Eije and W. Jager Artificial Economics Conference 16th of September 2005

© 2005 A.O.I. Hoffmann



University of Groningen



#### Outline

- Introduction
- Theoretical Background
- Empirical Background
- Simulation
- The Simulation Model
- Simulation Experiments with Simultaneous Updating
- Simulation Experiments with Sequential Updating
- Discussion
- Questions and Remarks





#### Introduction

- Does finance have a problem?
  - Real-life stock market dynamics are hard to explain using modern finance (MF) assumptions
- Can this problem be solved?
  - Behavioral finance (BF) uses psychology and sociology to explain what modern finance left unexplained
- Is the problem now solved?
  - BF relies too strongly on MF axiom and methods, risking to lose it's own identity (Frankfurter and McGoun, 2002: 376)
- What are we going to do about this?
  - Use theories, research techniques and methods from consumer behavior and social simulation research



I Inimercity of Croningon



#### Introduction

- What do we want?
  - A better understanding of micro level investor behavior
  - A better understanding of macro level stock market dynamics
  - A better understanding of the micro-macro link
- What methods will we use?
  - Consumer and Investment research theories
  - Survey research amongst individual investors
  - Use theoretical insights and the survey results in order to parameterize a multi-agent simulation model
  - Compare outcomes simulation with real market data

RuG

I Iniversity of Croningon



## **Theoretical Background**

- Utility functions that only incorporate risk and return ignore:
  - The multiplicity of human needs
  - The heterogeneity in satisfying these needs
  - The possible utility of the investment process as such
- If investors also have more socially oriented needs, this implies that they do not make their decisions in social isolation
- Investors are susceptible to social influences from others and socially influence others in their social networks; this might help explain the background of hypes, crashes, and bubbles
- Can these assumptions be empirically confirmed?





### **Empirical Background**

- We performed a survey amongst individual investors in The Netherlands
- We found that individual investors, among other things:
  - Rate financial needs as most important, a close second are more social needs like identification and participation
  - Are susceptible to social influences
  - With a higher ranking of social needs display more socially influenced behavior





#### Simulation

- Why should we use simulation? It can help:
  - In developing and exploring theories concerned with social processes (Gilbert and Troitsch, 2003)
  - With understanding the relation between the micro and macro level (Gilbert and Troitsch, 2003)
- We started with a very simple simulation model adapted from Day and Huang (1990) with two types of strategies:
  - Investors using an Alpha strategy trading in a fundamental way by comparing the current price with a long run investment value
  - Investors using a Beta strategy trading in a trend-following socially oriented way



I Inimentar of Chamingon



### **The Simulation Model**

- Key parameters:
  - P: current price
  - U: long run investment value
  - S: proportion of Beta strategy of each investor
  - (1-S): proportion of Alpha strategy of each investor
- With this model, it is possible to investigate the influence of Alpha and Beta strategies on the stock market price dynamics
- Two series of experiments: simultaneous versus sequential market updating
- In all the presented experiments, P = 0.501, and U = 0.500



I Iniversity of Croningon



## Simulation Experiments with Simultaneous Updating

• Experiment 1.1: S = 0.01 and 100 agents



 A small proportion of Beta strategy already suffices to push the stock price away from the long run investment value





## Simulation Experiments with Simultaneous Updating

• Experiment 1.2: S = 0.03 and 100 agents



Increasing the proportion of Beta strategy results in chaotic-like stock price dynamics





## Simulation Experiments with Simultaneous Updating

• Experiment 1.3: S = 0.10 and 100 agents



• Increasing the proportion of Beta strategy even more results in stock price dynamics that easily get out of bounds





## Simulation Experiments with Simultaneous Updating: Wrap Up

- With simultaneous updating, the parameter space for which we obtain useful price series is relatively small
- All agents make their decisions at exactly the same moment in time, this is empirically deviant and not realistic
- The very large aggregate demand or supply caused by the above easily causes overshooting of the stock price





# Simulation Experiments with Sequential Updating

- To increase the parameter space which can be studied in a sensible way, sequential market updating was introduced
- Moreover, in reality investors differ to what extent they weigh an Alpha and a Beta strategy, i.e. investors can be heterogeneous with respect to the parameter S
- Therefore, in the following experiments, we compared:
  - Simultaneous versus sequential market updating
  - Homogeneity versus heterogeneity with respect to S
  - Impact of different levels of S on price volatility
  - Simulation-generated data with Dow Jones Index (DJI) data



I Inimercity of Croningon



# Simulation Experiments with Sequential Updating

• Experiment 2.1: S = 0.6, 0.8, 0.9 and 100 agents



• With homogeneous investors (all the same value for S), markets eventually always reach equilibrium, no matter how high S is



I Inimentity of Chamingon



# Simulation Experiments with Sequential Updating

• Experiment 2.2: S = heterogeneous and 100 agents



 When investors are heterogeneous, markets still reach equilibrium at relatively low levels of S, at higher levels of S, chaotic-like stock market price dynamics result





# Simulation Experiments with Sequential Updating: Wrap Up

- Sequential instead of simultaneous market updating gives less susceptibility to overshooting
- Garch (1,1) analysis compared our outcomes with a recent period without special holidays of the DJI
- Simulation results were arbitrarily chosen, therefore no comparison of estimated coefficients, but the significances for DJI and our example (S [0.5, 1.0]) are quite similar
- Arch and Garch effects might be attributed to trend-following investors that randomly enter the stock market



I Iniversity of Croningo



#### Discussion: so what did we not do?

- Investors in this simple first simulation model did not get information from their social network, but derived it directly from stock prices
- New information arrival to the market was not incorporated
- Effect of different networks on information diffusion processes was not studied
- Market dynamics are generated by the actions of investors, but the cognition of investors is never affected by the evolution of the market; no feedback mechanism
- Investors could only trade the shares of one company
- Investors were not limited by a budget





#### Discussion: so what will we do?

- Build a new multi-agent simulation model with the following properties:
  - Implementation of different social network structures
  - Feed news into the market about the expectation of next period's stock price
  - An agent's success in the market feeds back into his choice between different investment strategies
  - Agents have a personal budget
  - Agents can choose between different shares and/or cash
  - All the above has been incorporated in our RUGAM model





#### **Questions and Remarks**





I Inimation of Chamingon



### Garch (1,1) Analysis

|                | Dow Jones<br>percentage<br>returns |         | S=[0 <i>5</i> ,1.0] |            | S=[0.4,1.0]     |       |
|----------------|------------------------------------|---------|---------------------|------------|-----------------|-------|
|                | Coeffi<br>cient                    | Prob.   | Coeffi<br>cient     | Prob.      | Coeffi<br>cient | Prob. |
| С              | 0.269                              | 0 283   | 0.065               | 0.007      | 0.000           | 0.845 |
| MONDAY         | -0.190                             | 0.642   |                     |            |                 |       |
| TUESDAY        | -0.118                             | 0.732   |                     |            |                 |       |
| WEDNESDAY      | -0.091                             | 0.756   |                     |            |                 |       |
| THURSDAY       | -0.381                             | 0.190   |                     |            |                 |       |
|                |                                    | Variano | e Equatio           | an.        |                 |       |
| С              | 0.057                              | 0.200   | 0.001               | 0.508      | 0.000           | 0.358 |
| RESID(-1)^2    | -0.150                             | 0.066   | 0.306               | 0.059      | 0.503           | 0.000 |
| GARCH(-1)      | 1.025                              | 0.000   | 0.803               | 0.000      | 0.610           | 0.000 |
|                |                                    | Equatio | on Statisti         | <b>C</b> 5 |                 |       |
| Adj. R-squared | -0.151                             |         | -0.034              |            | -0.034          |       |
| DW statistic   | 1.716                              |         | 1 923               |            | 1.601           |       |

